

Find the Mario

Joint A TEAM

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【Background】

- Diversification of work styles
- Diversification of actions
- Changes in Transportation Demand



Clarify planned / unplanned actions

Choice of Transportation by Income

【Objective】

Understanding differences in transportation mode choice based on behavioral tendencies

【Data】

Toyosu PP Data(2021)



Basic Analysis

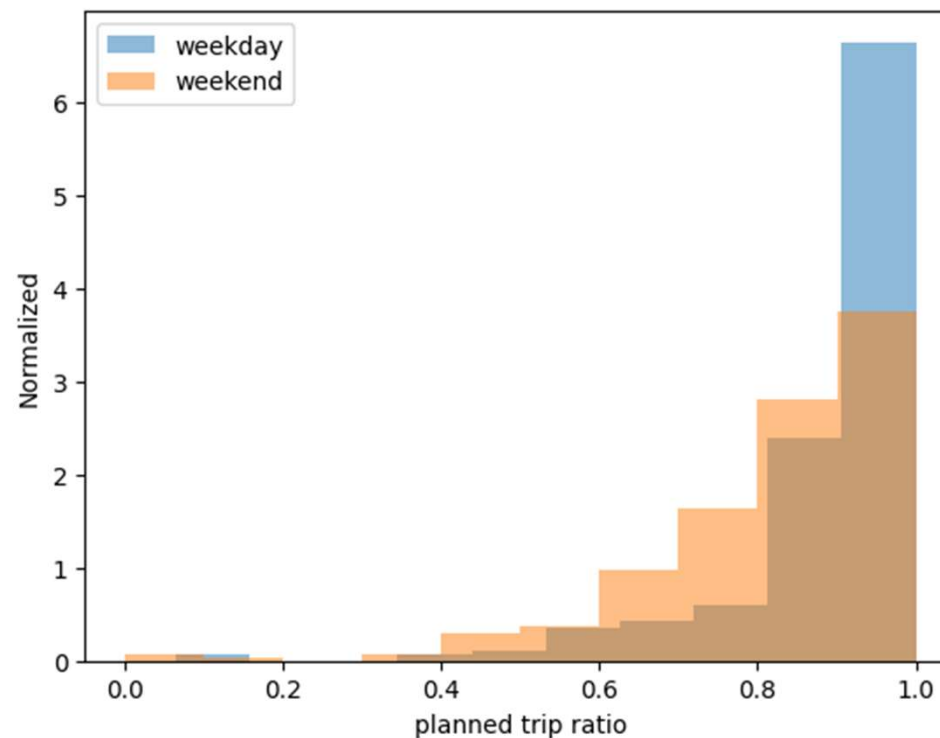
2

- Do people change their behavior between weekday and weekend ?
 - Analyze the proportion of daily activities by categorizing trips into typical and atypical types for weekdays and weekends.
 - It is expected that typical trips will be more frequent on weekdays, while atypical trips will be more common on weekends.
- ✂ Typical trips include commuting, returning home, and shopping (daily shopping is a major component).
- ✂ Atypical trips include leisure, strolling, and other activities.

Basic Analysis

3

- `planned_trip_ratio` is defined as typical trip divided by all trip
- The graph shows that the `planned_trip_ratio` is lower on weekends, which suggests that people tend to do more atypical trips in weekend than in weekday.



Hawkes Process

The Hawkes process is a *self-exciting point process*. Suitable for modeling burstiness and clustering in event sequences such as departure times.

Users: $i = 1, \dots, N$, Day type: $d \in \{W, H\}$ (Weekday/ Holiday)

For user i and day type d , observed departure times in an observation window $[0, T_{i,d}]$:

$$\mathcal{T}_{i,d} = \{t_{i,d,1}, \dots, t_{i,d,n_{i,d}}\}, \quad 0 < t_{i,d,1} < \dots < t_{i,d,n_{i,d}} < T_{i,d}$$

For each user i , estimate Hawkes parameters separately for Weekday (W) and Holiday (H).

$$\lambda_{i,d}(t) = \mu_{i,d} + \sum_{t_{i,d,k} < t} \alpha_{i,d} \beta_{i,d} \exp(-\beta_{i,d}(t - t_{i,d,k}))$$

$\mu_{i,d}$: baseline intensity

$\alpha_{i,d}$: excitation strength (per-event jump size)

$\beta_{i,d}$: decay rate (how fast self-excitation fades)

Branching ratio $n_{i,d} = \alpha_{i,d} / \beta_{i,d}$ as the key indicator of event chain intensity.

Applying a two-group classification (low- and high-chain) to both weekdays and holidays produces four distinct user clusters.



Label 0: Mode-Focused Routine (Weekday: Low / Holiday: Low)

- Intermediate in trips and weekend share, no strong differences. Possibly reflects **specific mode dependency** rather than temporal behavior.

Label 1: Stable Majority (Weekday: High / Holiday: Low)

- Lowest trip counts, longest interarrival time. Represents the **baseline habitual travelers**: stable, weekday-centered, moderate in mode use.

Label 2: Weekend Bursty (Weekday: Low / Holiday: High):

- Highest trip counts, shortest interarrival, significantly higher weekend share. Clear evidence of **bursty, weekend-concentrated mobility**.

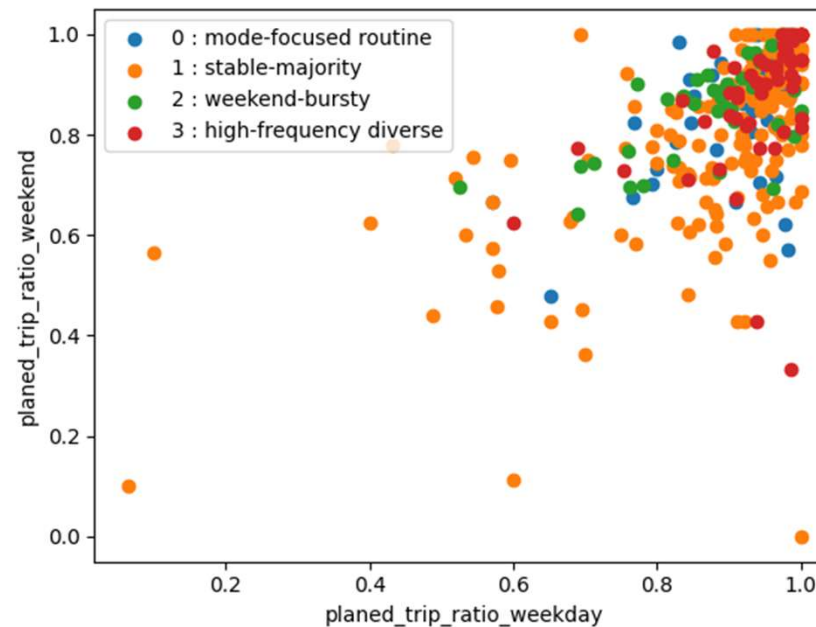
Label 3: High-Frequency Diverse (Weekday: High / Holiday: High):

- High trip counts and short interarrival times (like Label 2) but not as weekend-oriented. Represents **active travelers** with more balanced weekday/ weekend spread.

Dimension	Significant Pairwise Differences (Tukey)	Cluster-Level Interpretation
Number of trips	Label 2 > Label 1 ($p < 0.001$), Label 3 > Label 1 ($p < 0.001$)	Label 2 & 3 are high-frequency travelers , Label 1 is low-frequency / stable
Weekend share	Label 2 > Label 0 ($p \approx 0.025$), Label 2 > Label 1 ($p < 0.001$), Label 2 > Label 3 ($p \approx 0.049$)	Label 2 is weekend-dominant / bursty , others remain weekday-centered
Median interarrival hours	Label 1 > Label 2 ($p < 0.001$), Label 1 > Label 3 ($p \approx 0.003$)	Label 1 has long gaps → stable routine , Labels 2 & 3 are short gaps → bursty or high-frequency



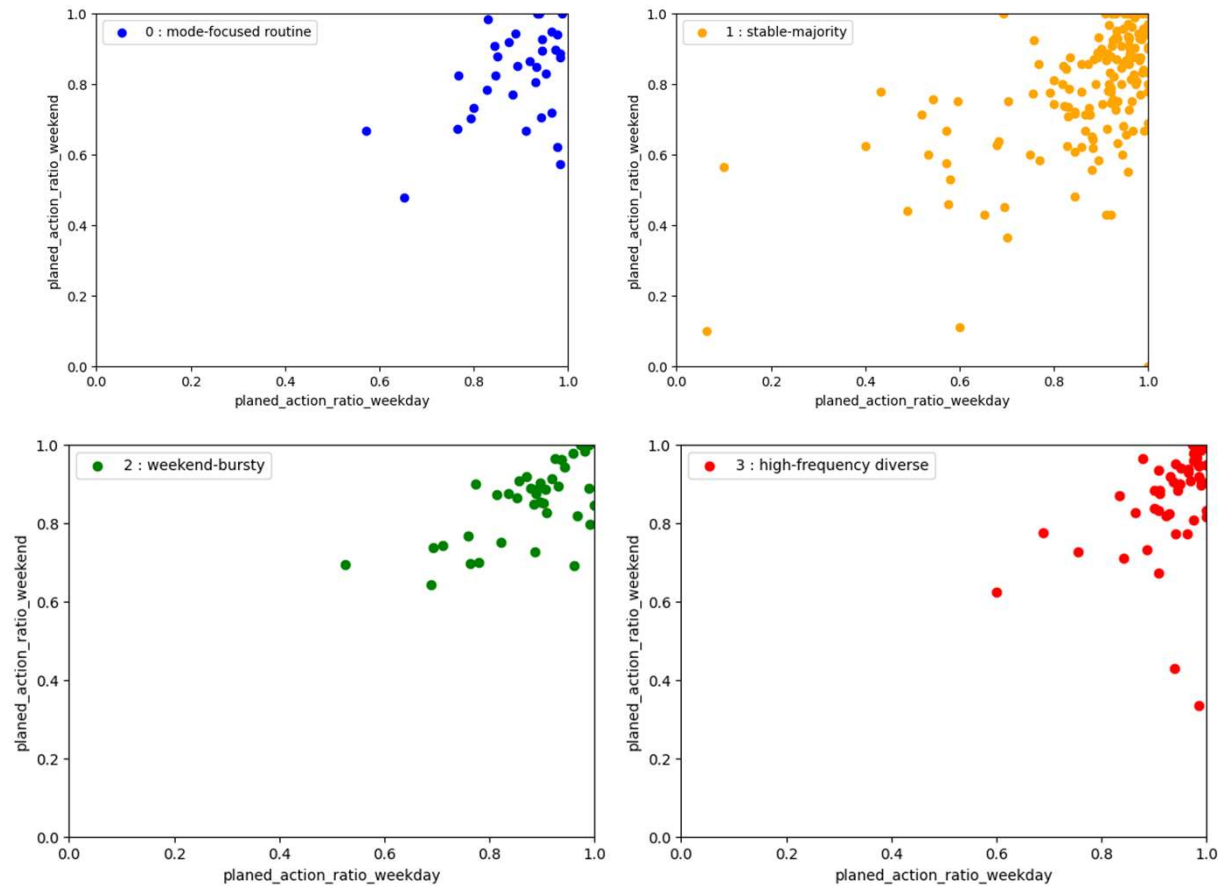
- Plot the weekday planned trip ratio on the horizontal axis and the weekend planned trip ratio on the vertical axis, coloring the four categories of people classified by the hawk model.
- the data points in the upper-right area—those who make routine trips on both weekdays and weekends—consist of a mixture of 0 : mode-focused routine individuals and 3 : high-frequency diverse individuals, contrary to the intuition.



Result 結果

7

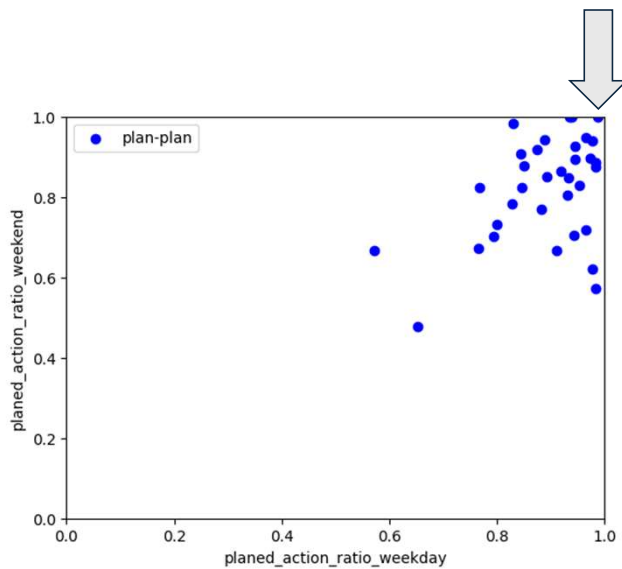
- Rather than interpreting “bursty” as acting without a plan, it may be better understood as people who pack their schedules. For that reason, even those classified as bursty tend to have a high proportion of typical trips.



Result 結果

8

A person in mode-focused routine category seems to trip as planned



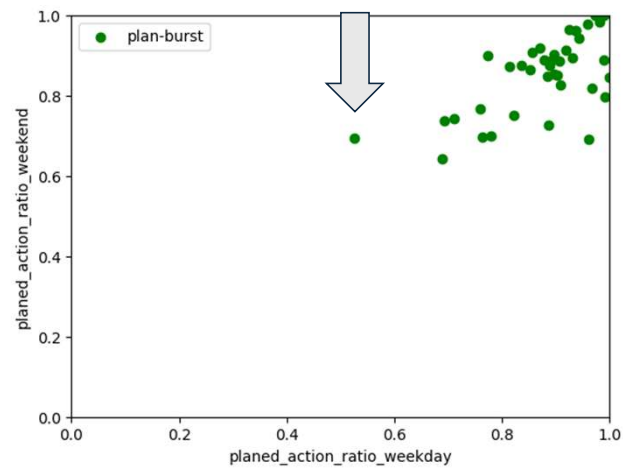
【0 : mode-focused routine】



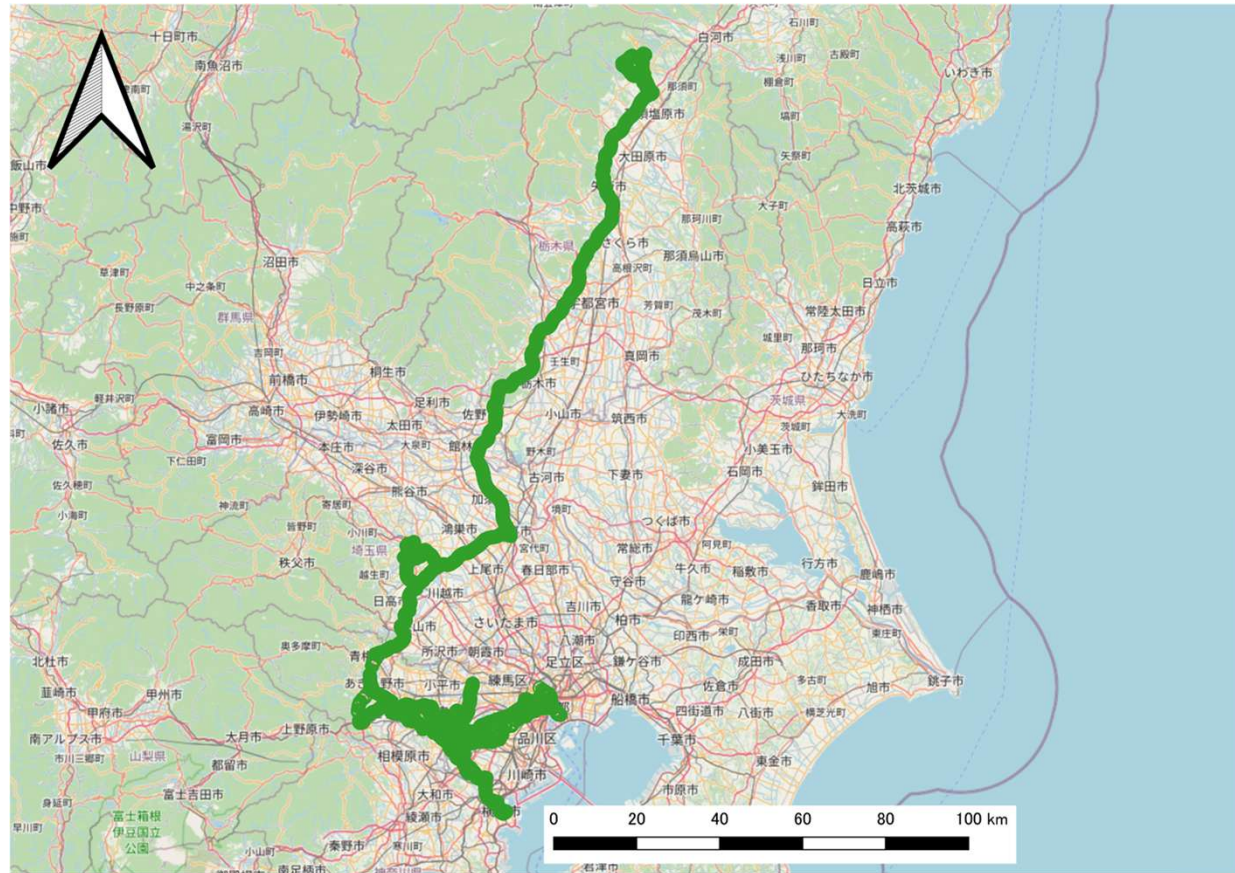
Result 結果

9

- A person in stable-majority category seems to trip without a plan



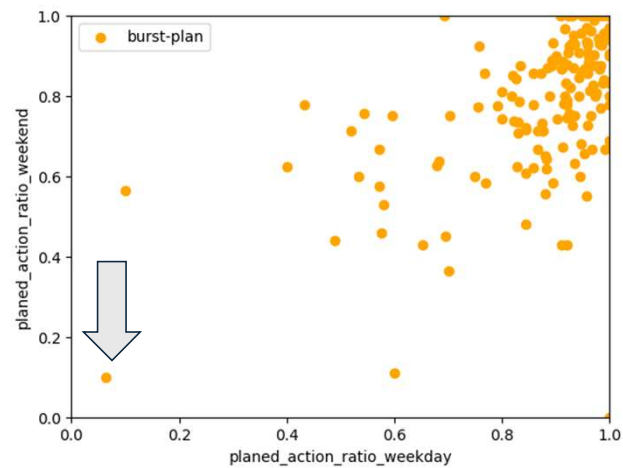
【1 : stable-majority】



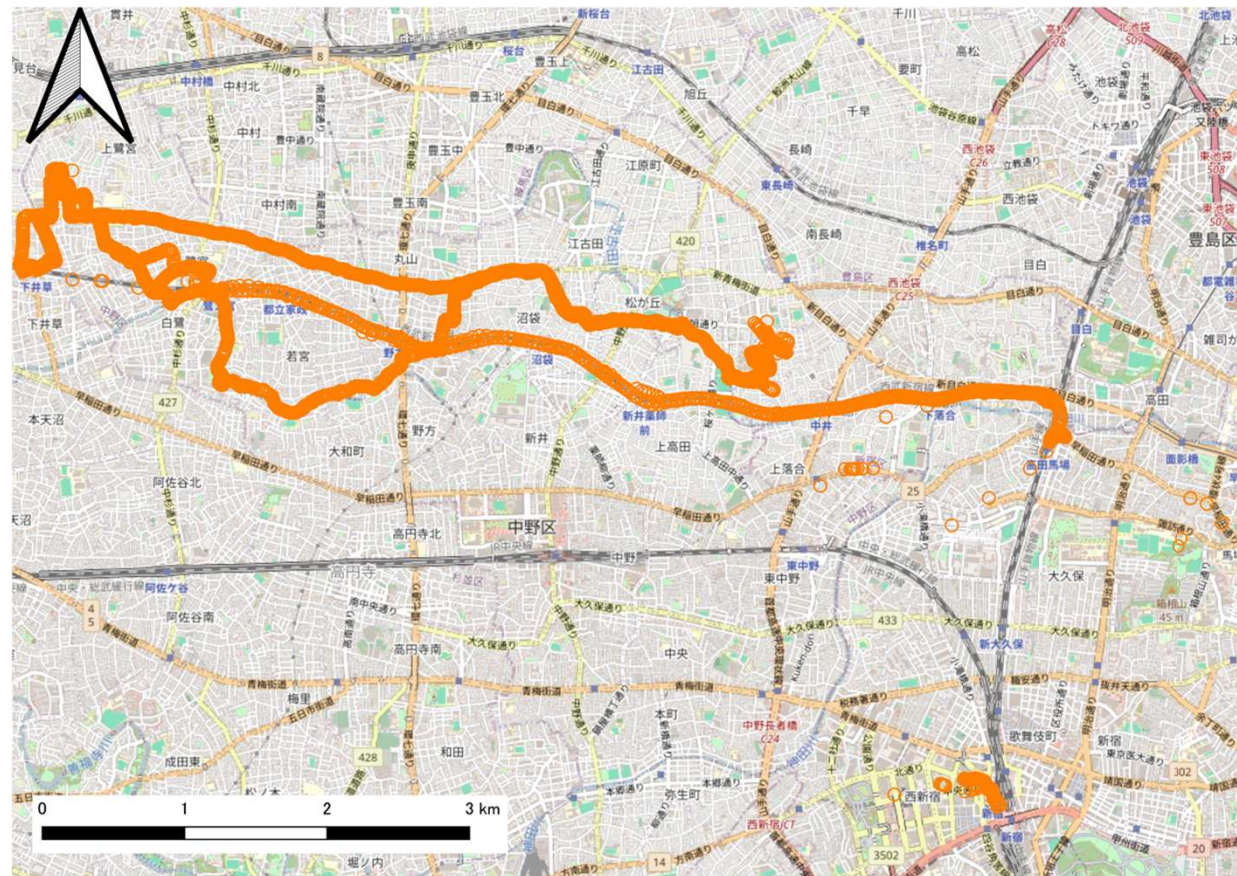
Result 結果

10

- A person in weekend-bursty category seems to trip without a plan



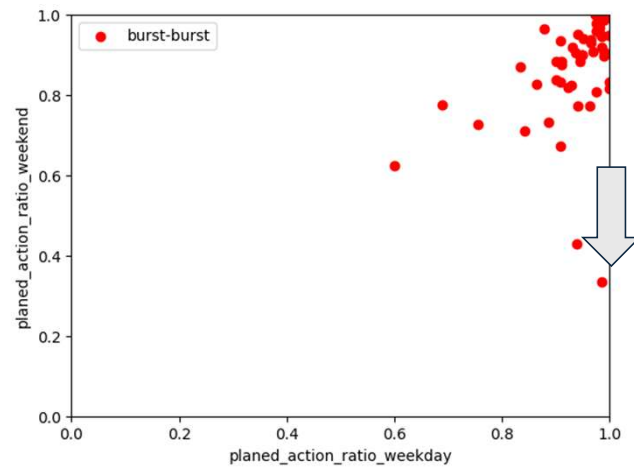
【2 weekend bursty】



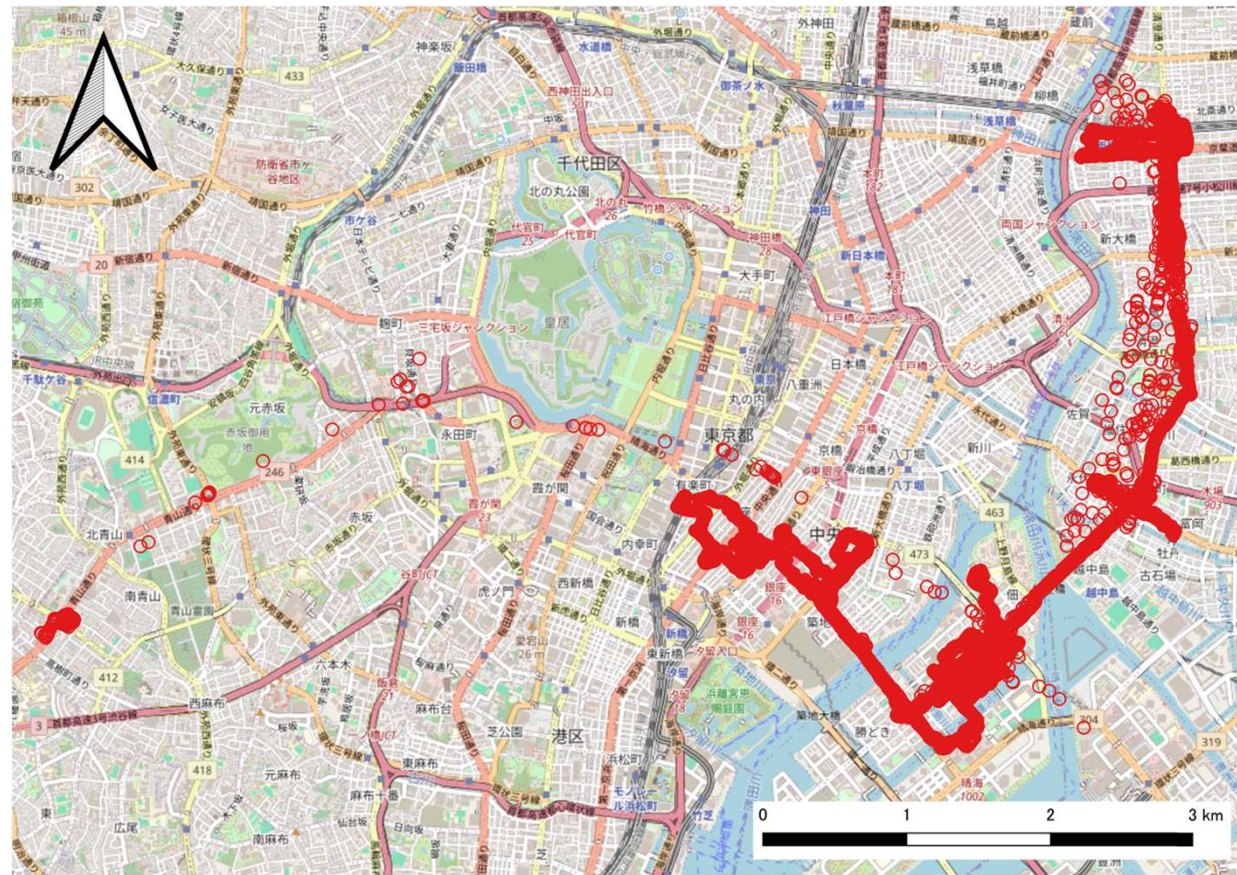
Result 結果

11

- A person in high frequency diverse category seems to trip without a plan

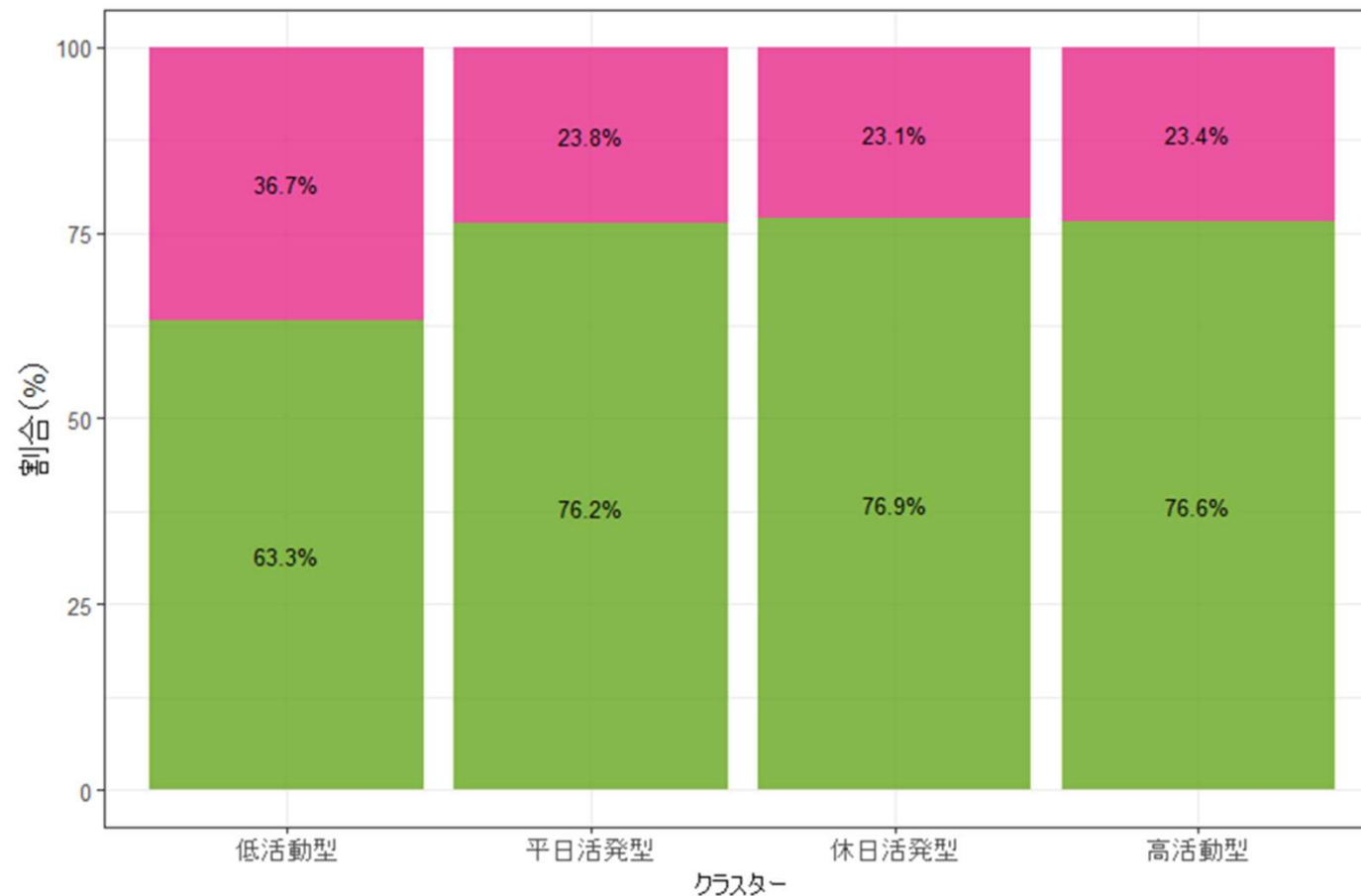


【high frequency
diverse】

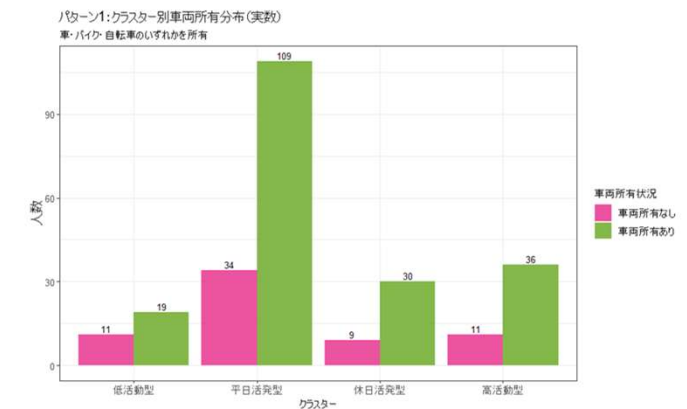


Relationship between Activity Clusters and Vehicle Ownership

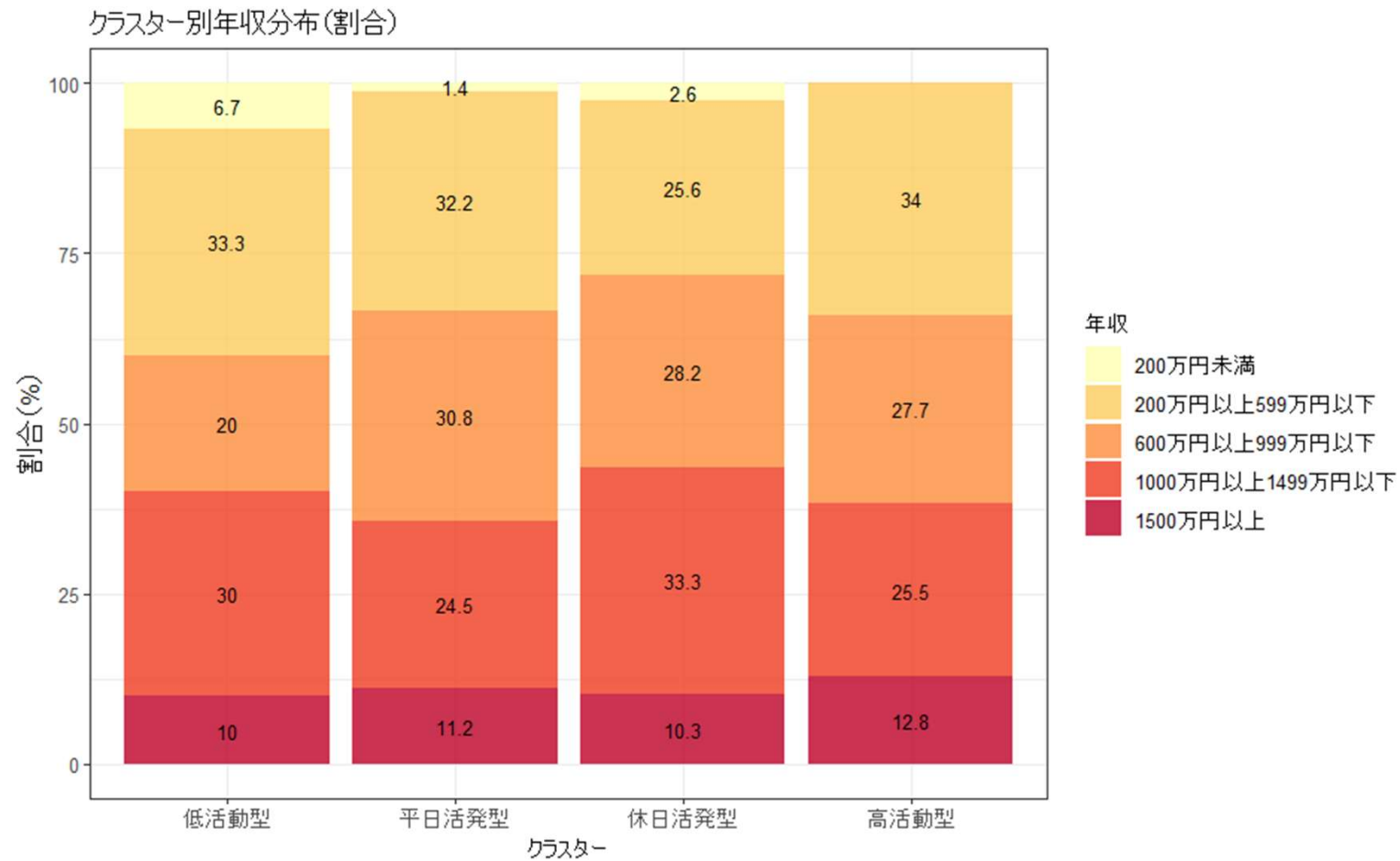
※Ownership of any vehicle type (car, motorcycle, or bicycle)



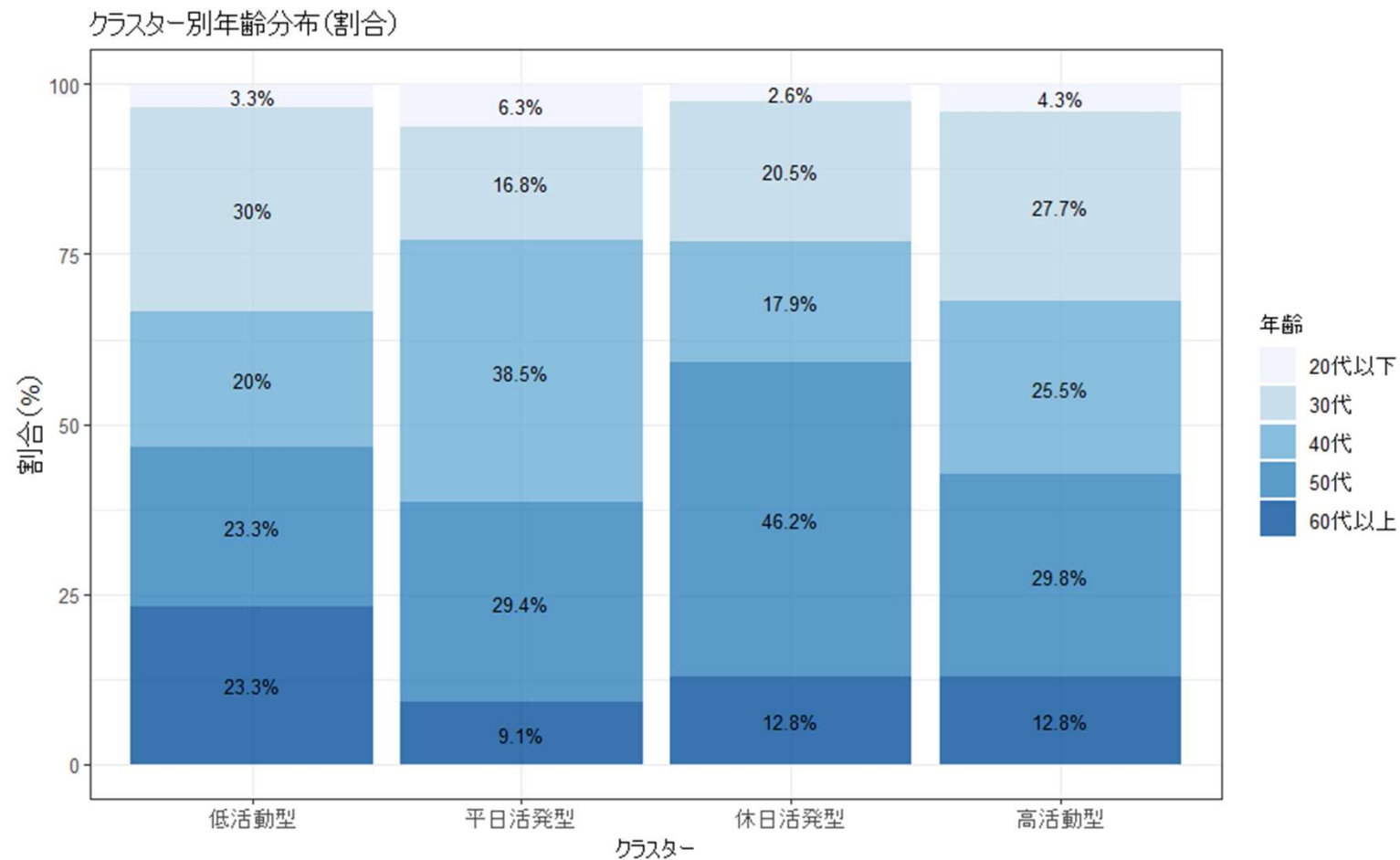
車両所有状況
 車両所有なし
 車両所有あり



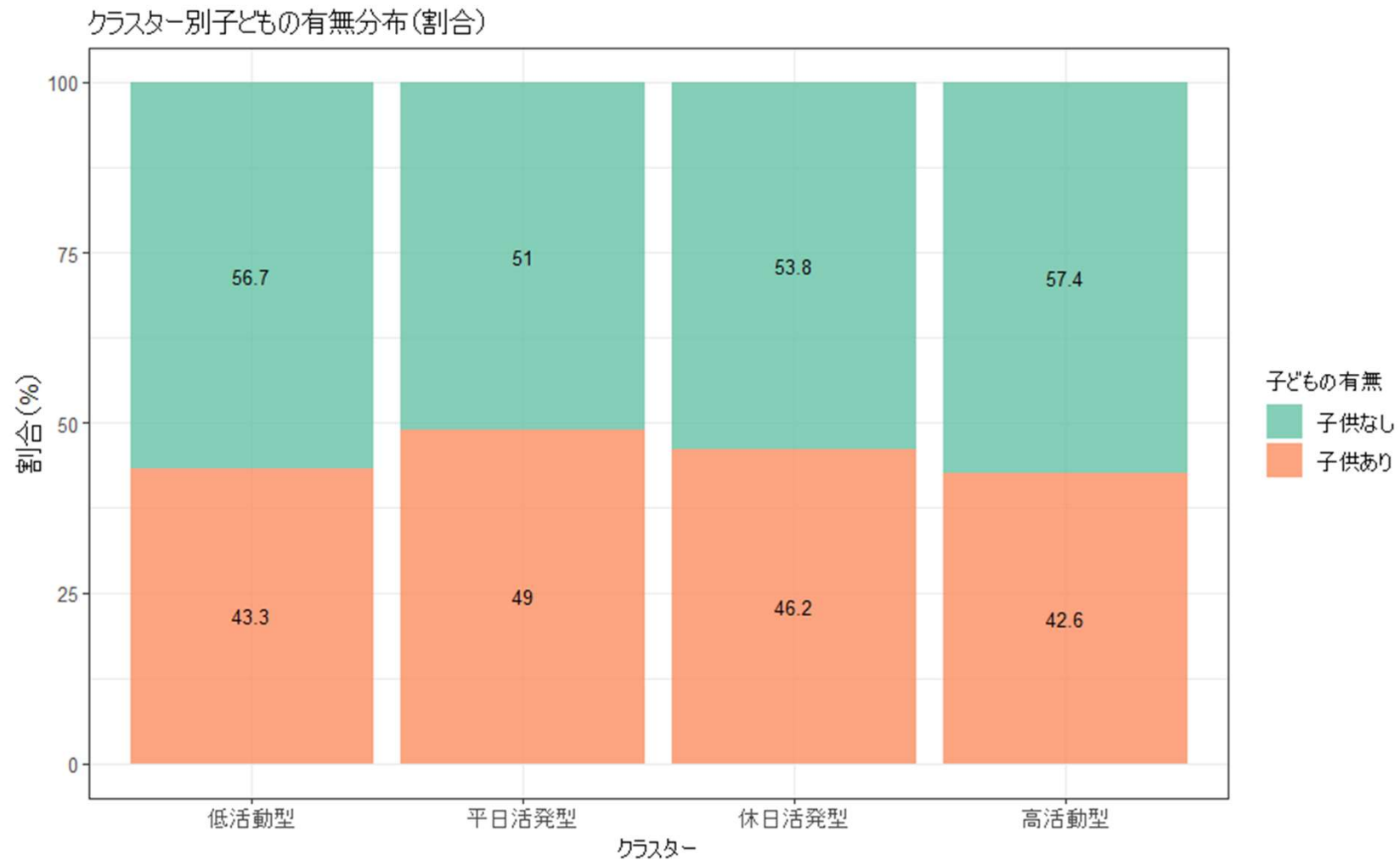
Distribution of Income for people categorized by hawks model



Distribution of Age for people categorized by hawks model

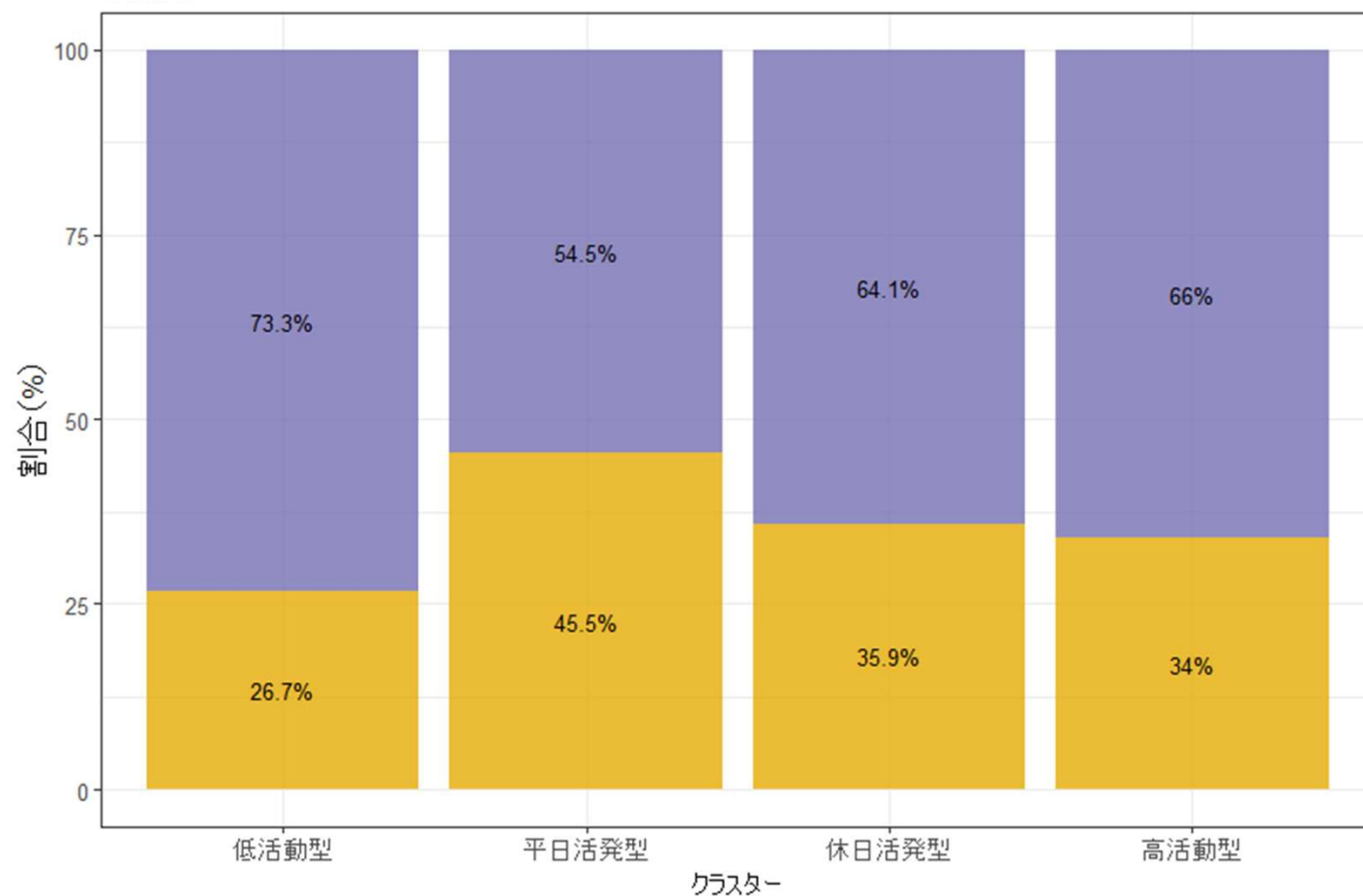


Distribution of Presence of Children for people categorized by hawks model



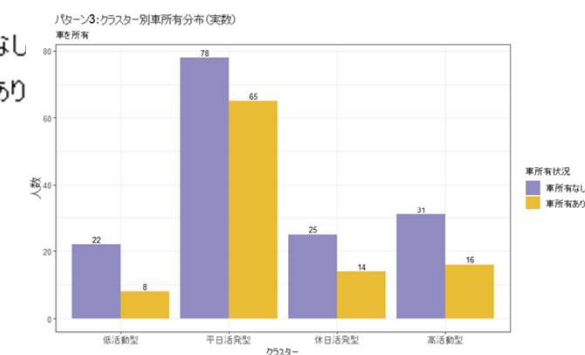
パターン3:クラスター別車所有分布(構成比)

車を所有



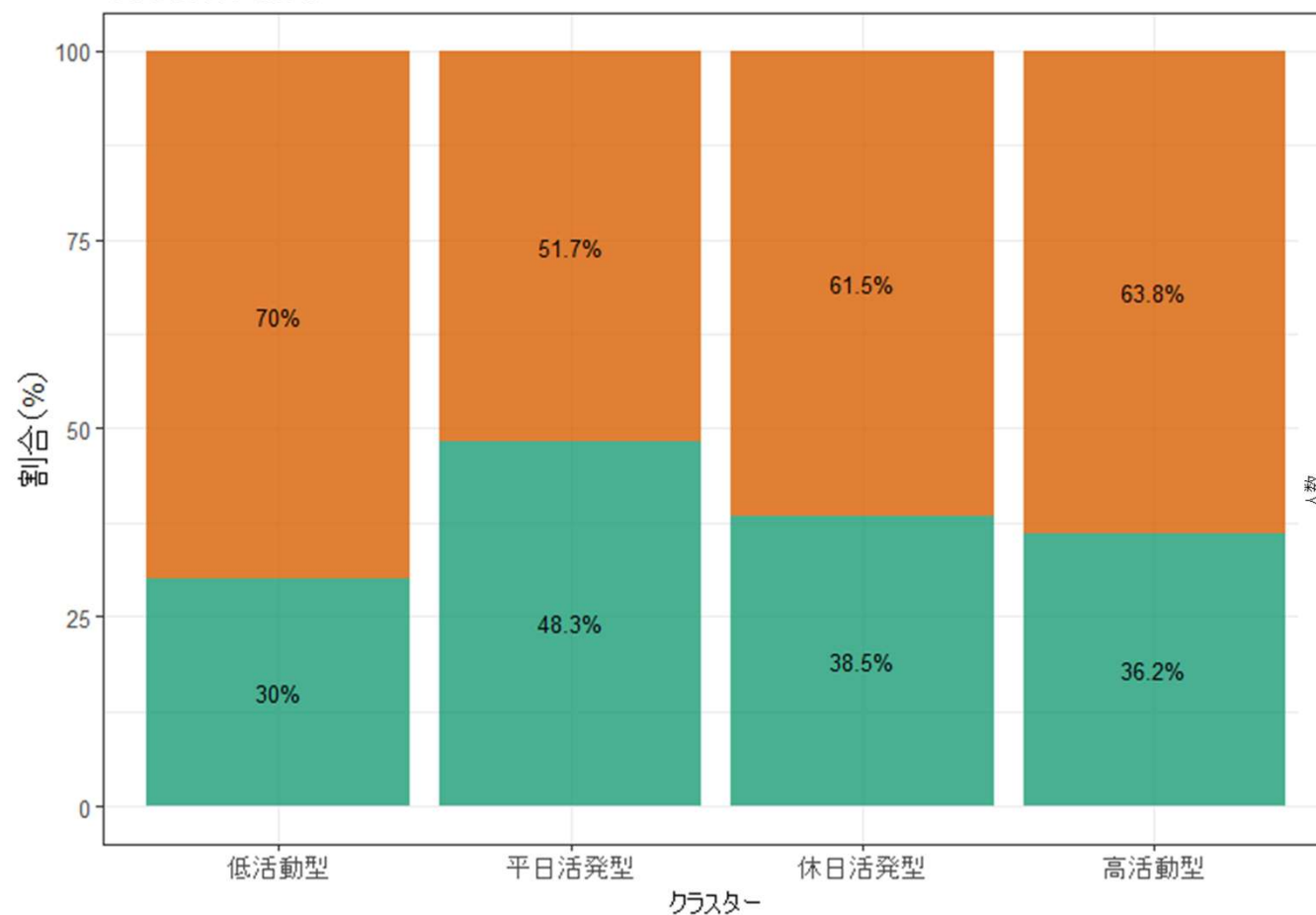
車所有状況

■ 車所有なし
■ 車所有あり



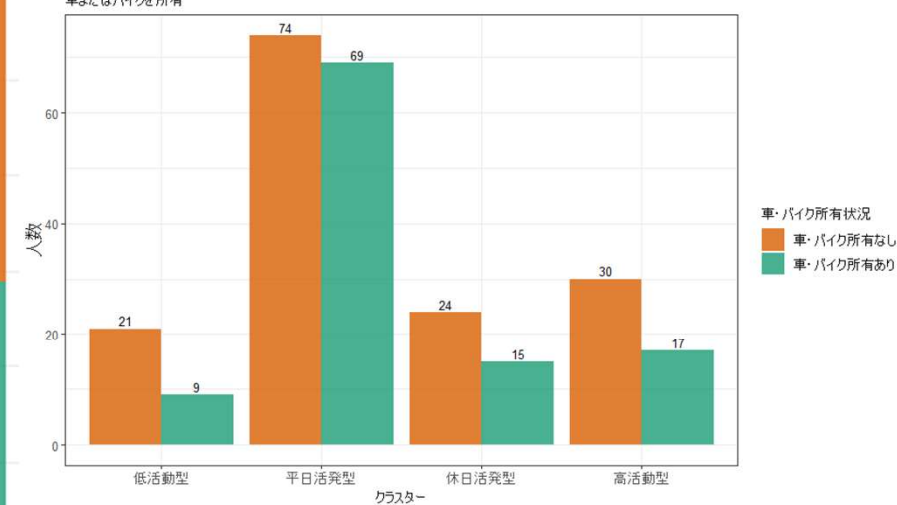
パターン2:クラスター別車・バイク所有分布(構成比)

車またはバイクを所有



パターン2:クラスター別車・バイク所有分布(実数)

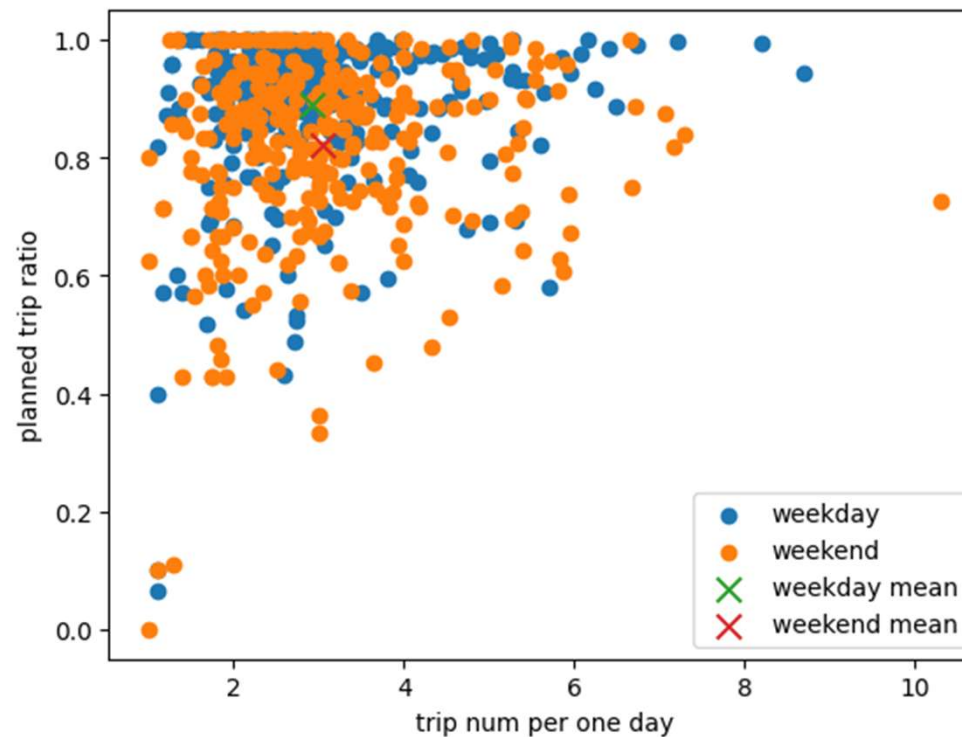
車またはバイクを所有



Result 結果

18

- Average number of trips per day on the horizontal axis and the planned_trip_ratio on the vertical axis.
- Compared to weekdays, weekends show a slight overall increase in the average number of trips per day, but a slight decrease in the planned_trip_ratio, which also suggests that people tend to do more atypical behavior in weekend.

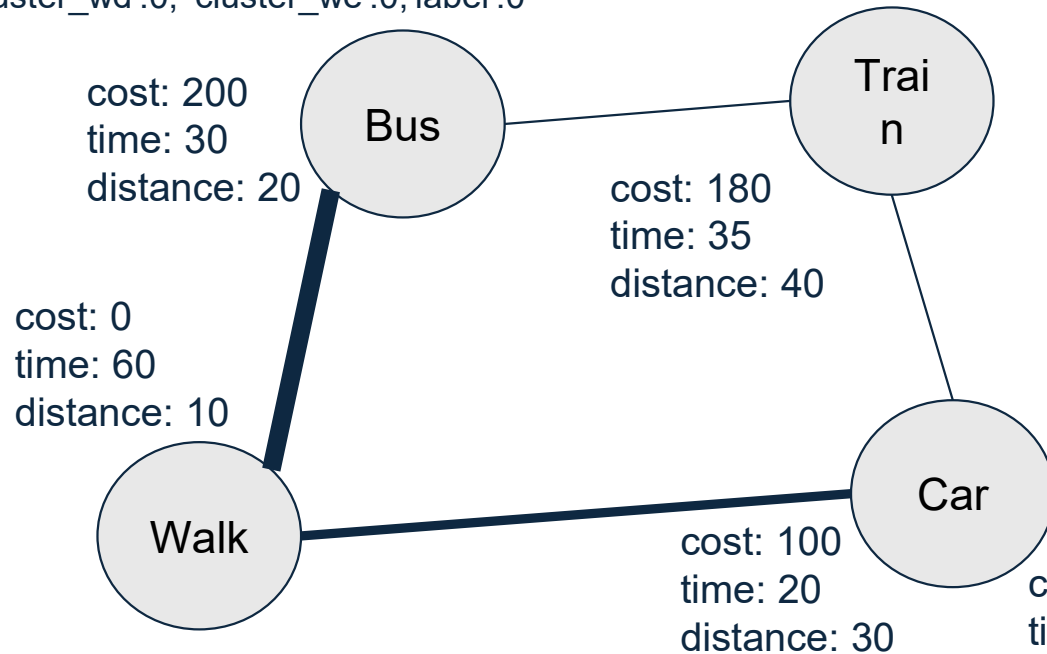


Understand travel mode preference by NestGNN

Travel mode preference can be different for persona, circumstances, etc.

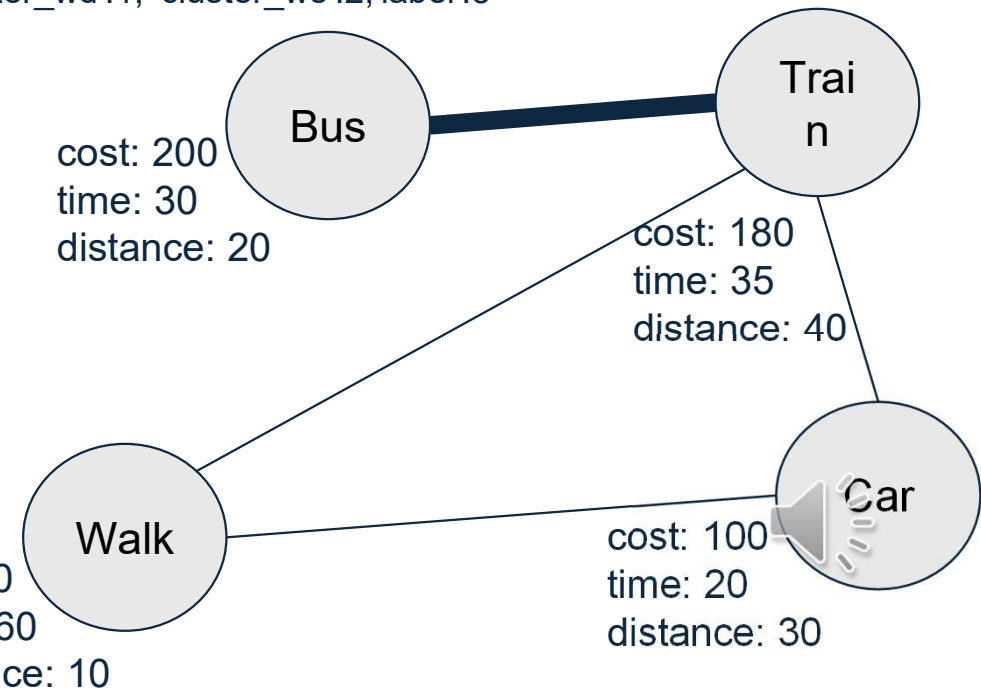
Person A (working mom) :

'Gender': F, 'Age': 40, 'Occupation':, 'Income': 7M,
'Type of Residence': rent, 'Living Alone': 0, 'Spouse (Husband/Wife)':
1, 'Own Children': 1, 'Number of Children': 2, 'Car Ownership':1 ,
'cluster_wd':0, 'cluster_we':0,'label':0



Person B (living alone) :

'Gender': M, 'Age': 75, 'Occupation': no occupation, 'Income': 3M,
'Type of Residence': own, 'Living Alone': 1, 'Spouse (Husband/Wife)':
0, 'Own Children': 0, 'Number of Children': 0, 'Car Ownership':0 ,
'cluster_wd':1, 'cluster_we':2,'label':3



Understand travel mode preference by NestGNN

NestGNN is generalized version of nested logit, incorporating NL functional form

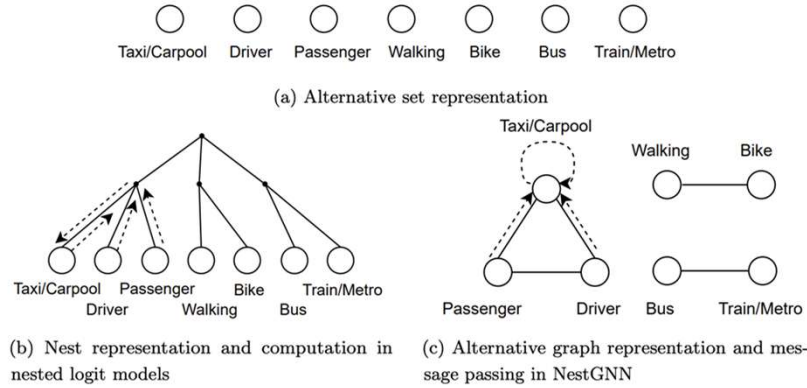


Figure 1: Comparison of alternative representations with seven alternatives as an example. The arrow with the dotted line means the direction of message passing. In NestGNN's alternative graph, the solid line represents the edge between nodes.

$$V_{ni} = \phi(x_{ni}) + A(\{\mathbf{m}_{i,j}^{(1)}, \forall j \in \mathcal{N}(i)\}),$$

$$P_{ni} = \frac{\exp\left(\phi(x_{ni}) + A(\{\mathbf{m}_{i,j}^{(1)}, \forall j \in \mathcal{N}(i)\})\right)}{\sum_{m \in \mathcal{V}} \exp\left(\phi(x_{nm}) + A(\{\mathbf{m}_{i,m}^{(1)}, \forall j \in \mathcal{N}(i)\})\right)}.$$

NestGNN reduces to MNL and NL by choice of aggregation function, update function, node features and etc.

Example 1. *NestGNN reduces to a MNL model when its hyperparameter space \mathcal{H} takes the following form: $\{L = 0, M(x_i) = \emptyset, A = \emptyset, U = \emptyset, R(x_i) = w_i^T x_i^{(0)}\}$.*

Here the NestGNN does not use message passing algorithm but only initializes the zero-layer node feature $x_i^{(0)}$. Without message passing algorithm, the utility function in the NestGNN enables the inputs from only alternative i 's own attributes. The choice probability function of alternative i equals to $P_i = e^{w_i^T x_i^{(0)}} / \sum_{j \in \mathcal{V}} e^{w_j^T x_j^{(0)}}$, which is the same as the MNL model.

Example 2. *NestGNN reduces to a ASU-DNN model when its hyperparameter space \mathcal{H} takes the following form: $\{L = 0, M(x_i) = \emptyset, A = \emptyset, U = \emptyset, R(x_i^{(0)}) = MLP(x_i^{(0)})\}$.*

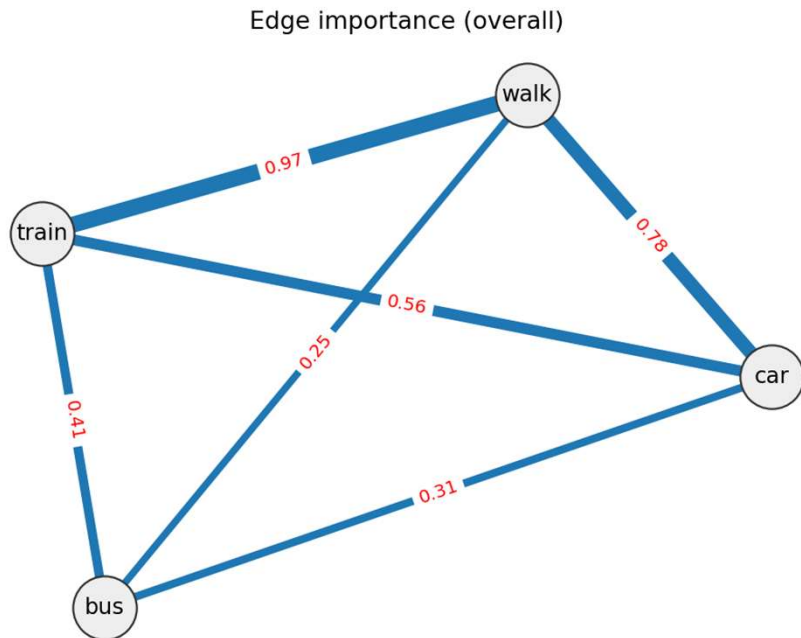
Again, the NestGNN does not use message passing but only initializes the zero-layer node feature $x_i^{(0)}$. Different from the linear mapping in MNL, here the multilayer perception (a.k.a., feedforward neural networks) is used as the readout function. As a result, the choice probability function of alternative i equals to $P_i = e^{MLP(x_i^{(0)})} / \sum_{j \in \mathcal{V}} e^{MLP(x_j^{(0)})}$, which is the same as Wang et al. (2020a)'s work. In both examples, the MNL and ASU-DNN models follow the IIA constraint and thus exhibit the proportional substitution pattern among alternatives.

Example 3. *NestGNN reduces to a NL model when its hyperparameter space \mathcal{H} takes the following form: $L = 1, M(x_j^{(0)}) = w_j^T x_j^{(0)} / \mu_k, A(m_i) = (\mu_k - 1) LSE_{j \in \mathcal{N}(i)}(M(x_j^{(0)})), U(x_i, a_i) = M(x_i^{(0)}) + A(m_i), R(x_i^{(1)}) = x_i^{(1)}\}$.*

Understand travel mode preference by NestGNN

Travel mode preference can be visualized by GNNExplainer

Intuition: Larger edge values = “in the same nest”



Visualization of travel mode preference relation by NestGNN

- Differentiate $\log P(\text{choice})$ with respect to elements of the adjacency matrix A (i.e., transportation mode relationship graph)
- Larger edge value indicates that similar comparisons and trade-offs are being made (i.e., in the same “nest”)
- Example: Suppose the importance value between car and taxi is high: Car and taxi utilities share similar structures
- This relation can be compared for different segments



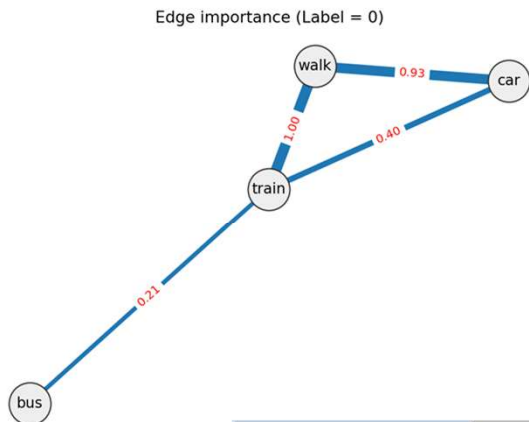
Understand travel mode preference by NestGNN

For label 0, nest structure is more sparse (i.e., single transportation mode)

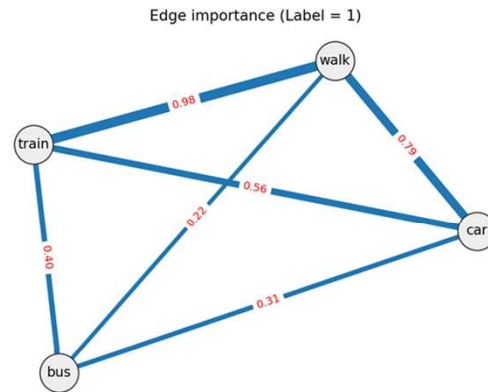
For label 1 and 2, nest structure is similar to overall

Label_0 (routine behavior on weekdays) and Label_3 (Outing on weekends) are contrary

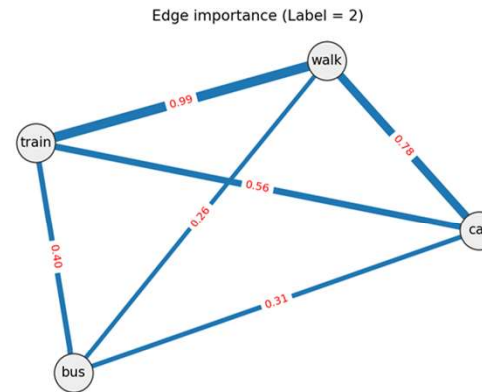
0: routine behavior
(Weekdays)



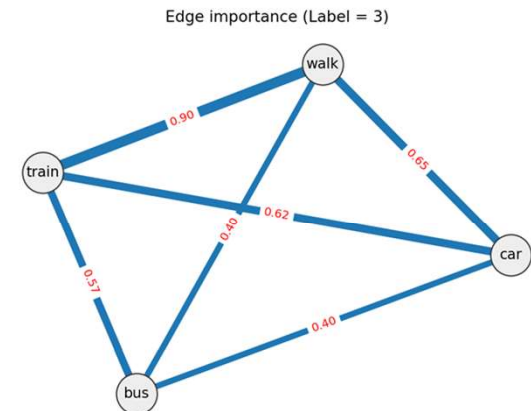
1: outing behavior
(Weekdays)



2: routine behavior
(Weekends)



3: outing behavior
(Weekdays)



alt_u	alt_v	overall	label_0	label_1	label_2	label_3
walk	train	0.97	1.00	0.98	0.99	0.90
walk	car	0.78	0.93	0.79	0.78	0.65
car	train	0.56	0.40	0.56	0.56	0.62
bus	train	0.41	0.21	0.40	0.40	0.57
car	bus	0.31	0.19	0.31	0.31	0.40
walk	bus	0.25	0.07	0.22	0.26	0.40

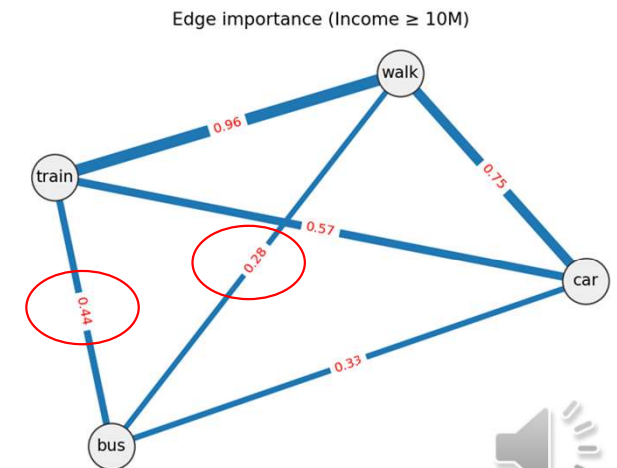
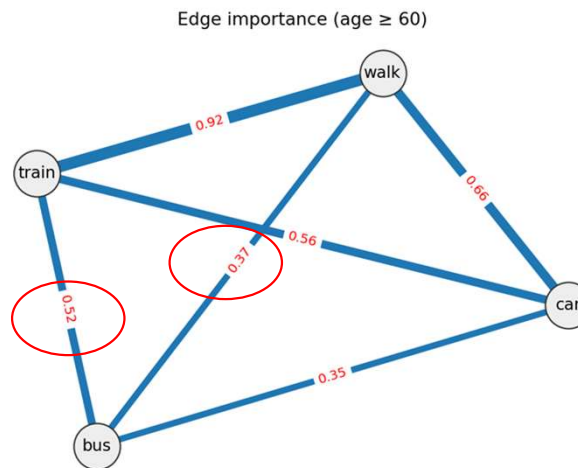
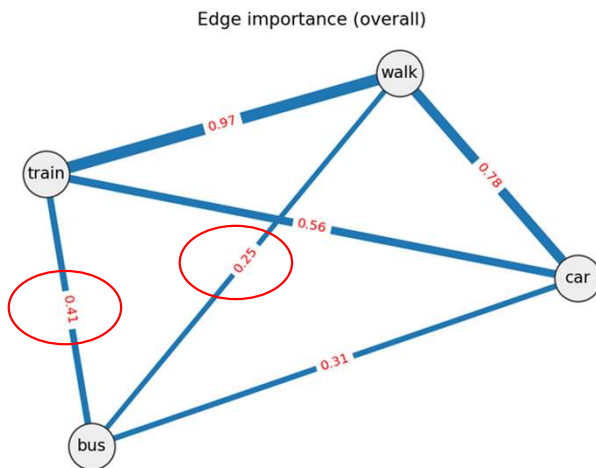


Understand travel mode preference by NestGNN

Compare overall, senior (over age 60), high income (over 10M yen)

For senior people, [1] train and bus and [2] bus and walk are tied stronger than for overall and people with high income earners

For high income earners, no particular relationship can be observed



Appendix: Trip count by personas (Age, Income, Label)

Overall, Age ≥ 60 , Income $\geq 10\text{M}$, Label (0, 1, 2, 3)

```
df.Age.value_counts()
```

✓ 0.0s

Age

4	11003
3	9248
2	7563
5	4530
1	1117

Name: count, dtype: int64

```
df.Income.value_counts()
```

✓ 0.0s

Income

2	10307
3	10038
4	9195
5	3469
1	452

Name: count, dtype: int64

```
df.label.value_counts()
```

✓ 0.0s

label

1.0	14948
3.0	7063
2.0	6384
0.0	3869

Name: count, dtype: int64

Future Work ()

- Consider other alternative modes than Car, Bus, Train, Walk
 - Such as bicycle shareing
- Visualize feature importance for explaining edge
 - Sophisticate GNNExplainer method
- Visualize feature importance for explaining edge
 - Sophisticate GNNExplainer method

