

Careful Use of Machine Learning Methods
is needed for Mobile Application
A case study on Transportation-mode
Detection

By Yu et al (2013)

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Contents

1. Introduction
2. Transportation-mode detection
3. Practical use of SVM
4. Pitfall of CV accuracy
5. Model size reduction
6. Fast training by optimization
7. Multi-class SVM method
8. Non-machine learning issues
9. Conclusion

Introduction

- Machine learning methods are often applied as a black box.
- Example is transportation-mode detection.
- Collect data, use algorithms and compare results.
- Default settings may not be the best one.
- Evaluation criterion (e.g. cross-validation) may not be appropriate.
- Some methods may not be applied due to resource constraints of mobile phones.

This paper focuses on using SVM and how the performance can be optimized.

Transportation-mode Detection

- The detector can use only up to 16 KB of memory.
- Data consists of log files containing signals from gyroscope, accelerometer and magnetometer.
- Classification was done among
Still, Walk, Run, Bike, Others
- Five features were extracted by calculating mean or standard deviation of the signals.
- Decision trees, AdaBoost and SVM were employed.

Transportation-mode Detection

- Results

Classifiers	CV accuracy (%)	Model size (KB)
Decision Tree	89.41	76.02
AdaBoost	91.11	1500.54
SVM	84.72	1379.97

Practical use of SVM

- Worse SVM performance may be because of lacking
 - Data scaling
 - Parameter selection
- Given label-instance pairs $(y \downarrow 1, \mathbf{x} \downarrow 1) \dots (y \downarrow l, \mathbf{x} \downarrow l)$ with $y \downarrow i = \pm 1$, $\mathbf{x} \downarrow i \in \mathbb{R}^n$, $\forall i$ as the training set. (Primal problem)

$$\min_{w, b} \frac{1}{2} w^T w + C \sum_{i=1}^l \max(1 - y_i(w^T \phi(x_i) + b), 0).$$

Practical use of SVM (Cont.)

- Because w becomes a huge vector so dual optimization problem is solved. (Dual Problem)

$$\begin{aligned} \min_{\alpha} \quad & \frac{1}{2} \alpha^T Q \alpha - e^T \alpha \\ \text{subject to} \quad & y^T \alpha = 0, \\ & 0 \leq \alpha_i \leq C, i = 1, \dots, l, \end{aligned}$$

- Where $Q_{ij} = y_i y_j \phi(x_i)^T \phi(x_j) = y_i y_j K(x_i, x_j)$, $e = [1, \dots, 1]^T$

Practical use of SVM (Cont.)

- $K(\mathbf{x}_i, \mathbf{x}_j)$ is the kernel function.
- Default kernel function in LIBSVM is RBF (Gaussian) kernel

$$K(\mathbf{x}_i, \mathbf{x}_j) = e^{-\gamma \|\mathbf{x}_i - \mathbf{x}_j\|^2}$$

- The optimal solution satisfies

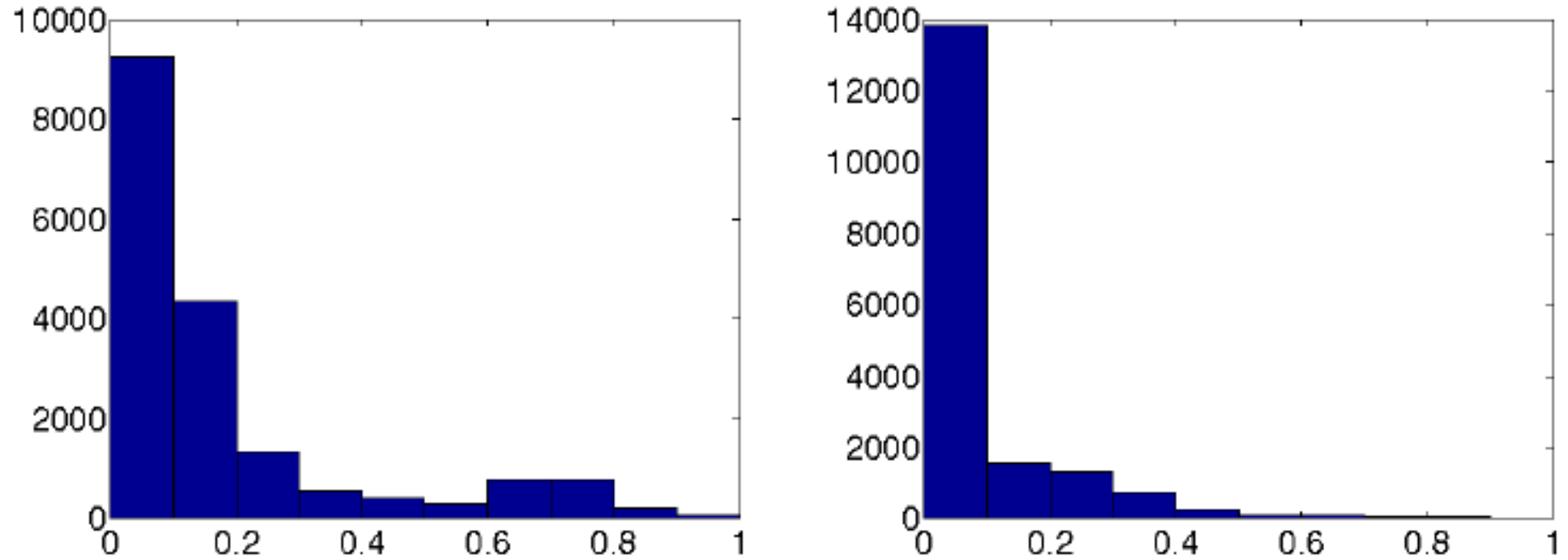
$$\mathbf{w} = \sum_{i=1}^l \alpha_i y_i \phi(\mathbf{x}_i).$$

Practical use of SVM (Cont.)

- Linear scaling of features is done

$$\frac{(\mathbf{x}_i)_s - \min(\mathbf{x}_t)_s}{\max(\mathbf{x}_t)_s - \min(\mathbf{x}_t)_s}, \forall s = 1, \dots, n.$$

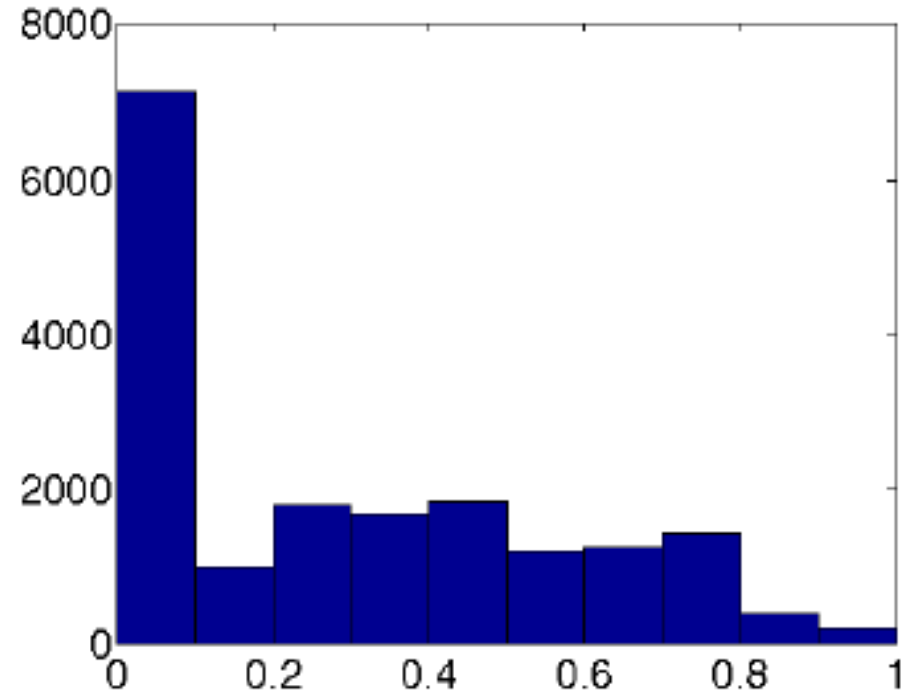
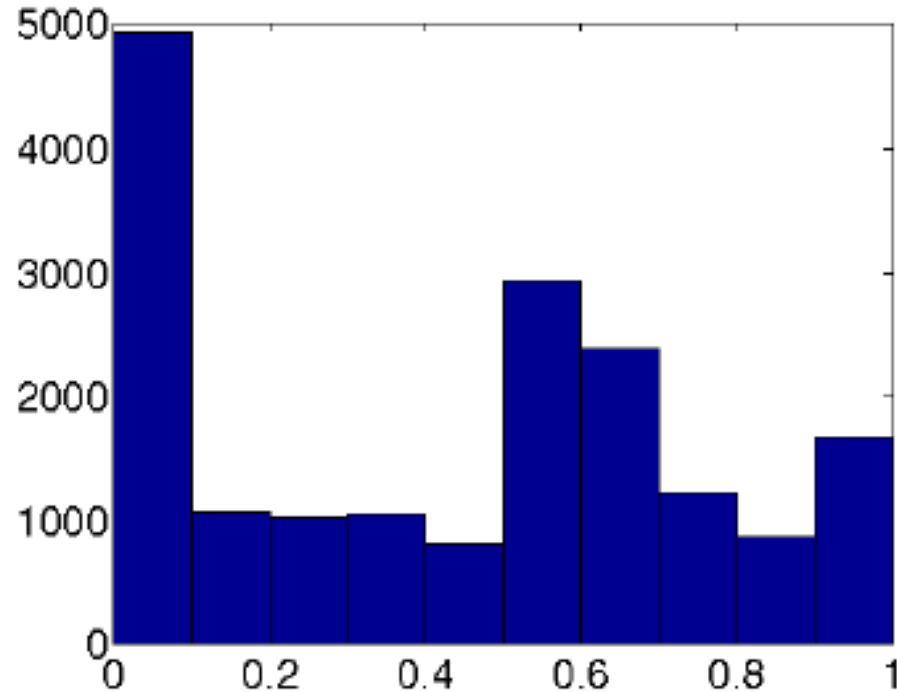
Practical use of SVM (Cont.)



(a) Linearly scaled to [0,1].

Practical use of SVM (Cont.)

linear scaling \rightarrow $\log(\text{feature value} + 0.01)$ \rightarrow linear scaling.



(b) A log-scaling procedure by (7).

Practical use of SVM (Cont.)

- Parameter selection
 - Regularization parameter (C)
 - Kernel parameter (γ in case of RBF kernel)

$$C \in \{2^{-1}, 2^0, \dots, 2^9\} \text{ and } \gamma \in \{2^0, 2^1, \dots, 2^8\}$$

- Select the one achieving the best five-fold CV accuracy

Practical use of SVM (Cont.)

- Results

SVM procedures	CV accuracy (%)
Linear scaling + parameter selection	89.20
Log scaling + parameter selection	90.48

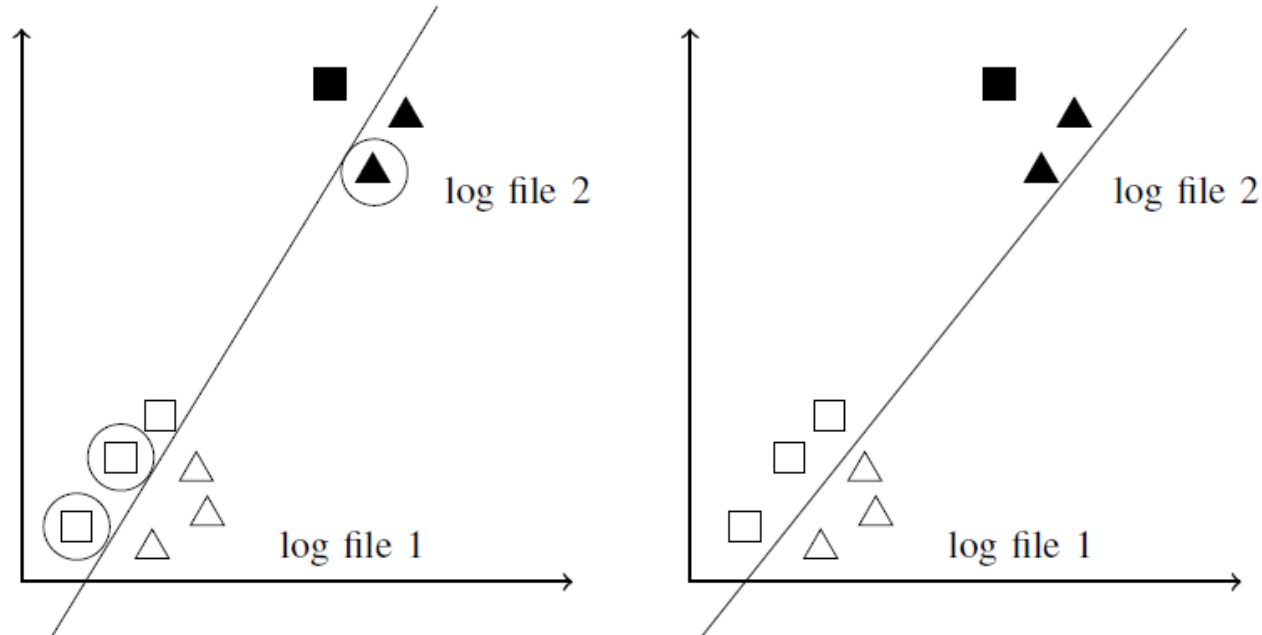
Pitfall of CV accuracy

- Although CV accuracy is most widely used evaluation measure but it can over-estimate the real performance.
- Assume each user records 10 log files and each log file generates 100 feature vectors.

user 1	log file 1	$\mathbf{x}_1, \dots, \mathbf{x}_{100}$
	log file 2	$\mathbf{x}_{101}, \dots, \mathbf{x}_{200}$
	\vdots	
	log file 10	$\mathbf{x}_{901}, \dots, \mathbf{x}_{1000}$
user 2	log file 11	$\mathbf{x}_{1001}, \dots, \mathbf{x}_{1100}$
	\vdots	

Pitfall of CV accuracy (Cont.)

- Feature vector in the same log file shares some information.
- In CV procedure if data from one log file appear in both training and validation sets, then the prediction becomes easy.



Pitfall of CV accuracy (Cont.)

- Therefore the standard instance-wise split of data may easily overestimate the real performance.
- To eliminate the sharing of meta-information, data split should be made at higher level such as logs or users.

CV strategy	SVM CV accuracy (%)
Instance-wise CV	90.48
Log-wise CV	83.37

Pitfall of CV accuracy (Cont.)

- Although log-wise CV is more reasonable but its better to have an independent test set collected by a completely different group of users.

Classifiers	CV accuracy (%)	Test accuracy (%)	Model size (KB)
Decision Tree	89.41	77.77	76.02
AdaBoost	91.11	78.84	1500.54
SVM	90.48	85.14	1379.97

- The result confirms that instance-wise CV may severely over-estimate.

Pitfall of CV accuracy (Cont.)

- Similarly in “Towards physical activity diary: motion recognition using simple acceleration features with mobile phones” by J. Yang (2009)

Reported CV accuracy	80 – 90 %
Reported Test accuracy	< 70 %

	2 folds	5 folds	8 folds
CV accuracy	85.05	83.37	82.21
Test accuracy	85.33	85.14	84.66

Model size reduction

- Although good accuracy achieved but the model size is much larger than 16 KB.
- Large size due to storage of optimal solution α and support vectors.
- Because it is a multi-class problem and LIBSVM uses one-against-one method so for k -class problem the model size is

$$\binom{k}{2} \times \# \text{ support vectors} \times (k + n) \times 4\text{bytes}$$

- Where n is the number of features.

Model size reduction (Cont.)

- To reduce size use polynomial kernel.

$$K(\mathbf{x}_i, \mathbf{x}_j) = (\gamma \mathbf{x}_i^T \mathbf{x}_j + 1)^d.$$

- Where γ is the kernel parameter and d is the degree.
- The kernel is the inner product of two vectors $\phi(\mathbf{x}_i)$ and $\phi(\mathbf{x}_j)$
- If $d = 3$

$$\phi(\mathbf{x}) = [1, \sqrt{3\gamma}x_1, \dots, \sqrt{3\gamma}x_n, \sqrt{3\gamma}x_1^2, \dots, \sqrt{3\gamma}x_n^2,$$

$$\sqrt{6\gamma}x_1x_2, \dots, \sqrt{6\gamma}x_{n-1}x_n, \gamma^{3/2}x_1^3, \dots, \gamma^{3/2}x_n^3,$$

$$\sqrt{3\gamma}^{3/2}x_1^2x_2, \dots, \sqrt{3\gamma}^{3/2}x_n^2x_{n-1}, \sqrt{6\gamma}^{3/2}x_1x_2x_3, \dots, \sqrt{6\gamma}^{3/2}x_{n-2}x_{n-1}x_n]^T.$$

Model size reduction (Cont.)

- Only w and b need to be stored.

$$\begin{aligned} & \binom{k}{2} \times (\text{length of } w + 1) \times 4\text{bytes} \\ &= \binom{k}{2} \times \left(\binom{n+d}{d} + 1 \right) \times 4\text{bytes}. \end{aligned}$$

- For $d = 3$, the model size turns out to be 2.28 KB

Model size reduction (Cont.)

- Comparison among kernels

SVM method	Test accuracy (%)	Model size (KB)
RBF kernel	85.33	1287.15
Polynomial kernel	84.79	2.28
Linear kernel	78.51	0.24

Fast training by optimization

1. The training of kernel SVM is known to be slow.
 2. Because of using $K(\mathbf{x}_i, \mathbf{x}_j)$ rather than $\phi(\mathbf{x}_i)$ or $\phi(\mathbf{x}_j)$, the setting is very restricted.
- For linear SVM the optimization problem becomes

$$\min_{\mathbf{w}} \quad \frac{1}{2} \mathbf{w}^T \mathbf{w} + C \sum_{i=1}^l \xi(\mathbf{w}; \mathbf{x}_i, y_i)$$

- Where $\xi(\mathbf{w}; \mathbf{x}_i, y_i)$ is the loss function

Fast training by optimization (Cont.)

- Commonly used loss functions

$$e^{-y_i \mathbf{w}^T \mathbf{x}_i}$$

logistic regression

$$\max(1 - y_i \mathbf{w}^T \mathbf{x}_i, 0)$$

hinge-loss (l1-loss) SVM

$$\max(1 - y_i \mathbf{w}^T \mathbf{x}_i, 0)^2$$

squared hinge-loss (l2-loss) SVM

- The three loss functions are related so they give similar test result.

Fast training by optimization (Cont.)

- Comparison scenarios
 - I. LIBSVM: polynomial kernel with hinge loss.
 - II. LIBLINEAR (primal): Linear SVM with squared hinge loss.
 - III. LIBLINEAR (dual): Linear SVM with squared hinge loss.

Fast training by optimization (Cont.)

	LIBSVM	LIBLINEAR	
		Primal	Dual
Test accuracy	84.79	84.52	84.31
Training time	30519.10	1368.25	4039.20

- LIBSVM and LIBLINEAR (primal) give similar accuracy.
- Training time of LIBSVM is significantly high.
- In theory, both primal and dual solvers give exactly same accuracy.

Multi-class SVM

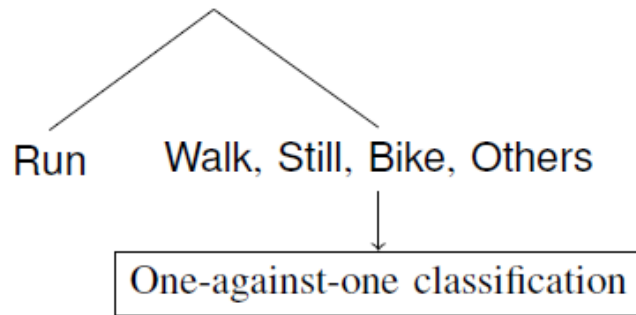
- SVM is designed for two-class classification.
- For multi-class two methods are used
 - One-against-one (Stores $k(k-1)/2$ weight vectors)
 - One-against-rest (Stores k weight vectors)
- For 5 transport modes, we need 10 and 5 vectors respectively.

Multi-class SVM (Cont.)

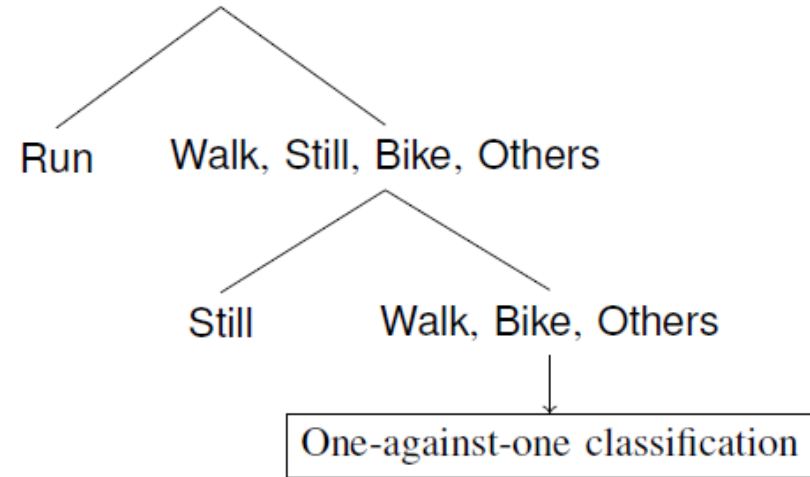
- Results

SVM method	Test accuracy (%)	Model size (KB)
One-against-one	84.52	2.24
One-against-rest	83.95	1.12

Multi-class SVM (Cont.)



(a) A hierarchical setting to identify the mode Run first.



(b) A hierarchical setting to identify the modes Run and Still first.

a. $1 + 4(4 - 1)/2 = 7$ weight vectors

b. $1 + 1 + 3(3 - 1)/2 = 5$ weight vectors

Multi-class SVM (Cont.)

- Results

SVM method	Test accuracy (%)	Model size (KB)
One-against-one	84.52	2.24
One-against-rest	83.95	1.12
Hierarchy 1	84.46	1.57
Hierarchy 2	84.53	1.12

Non-machine learning issues

- Feature engineering
- Extracting important features is one of the most crucial steps.
- Added two frequency-domain features.
 - a. Peak magnitude: index of the highest FFT value.
 - b. Ratio: ratio between largest and second largest FFT values.

Non-machine learning issues (Cont.)

- Results

CV strategy	5 features	Adding 2 FFT features
Instance-wise CV	89.90	92.98
Log-wise CV	85.05	89.26
Test accuracy	85.33	91.53

Non-machine learning issues (Cont.)

- Use of Domain knowledge
- Using information from past predictions.
- Power saving by not enabling the classifier in some situations.

Conclusion

- Direct use of a machine learning method may not give satisfactory results.
- Careful evaluation criterion must be chosen as this study showed that standard CV accuracy can slightly over-estimate.
- Practitioner should take care while employing classifiers and should have deeper understanding of the methodology.